

Supporting Information for “Implications of Rewiring Bacterial Quorum Sensing”

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Figure S1: Plasmids used in this study.

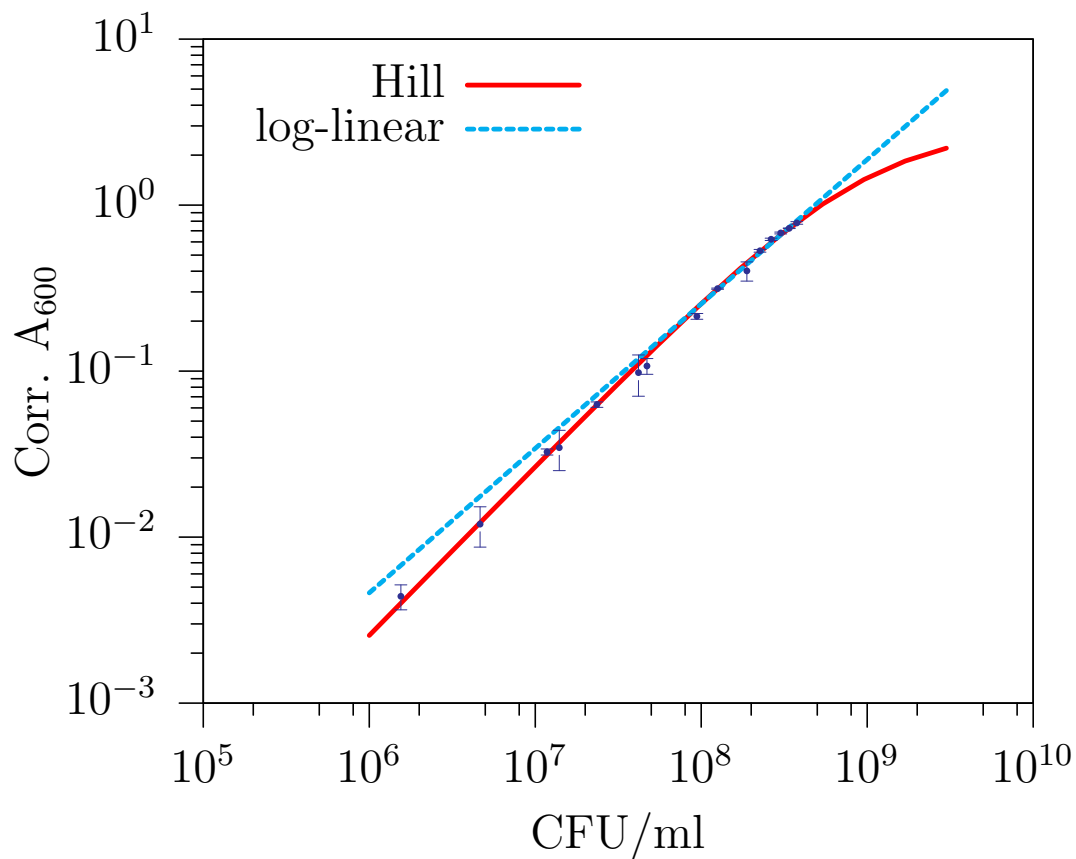


Figure S2: A Hill function accurately fits the relationship between corrected absorbance and CFU/ml in LBM medium. A log-linear fit of the form $\log_{10}(A_{600} - c_3^l) = c_1^l \log_{10}(r) + c_2^l$ is shown for comparison. The small standard deviations of the experimental data at high absorbances make this log-linear fit less predictive than the Hill function.

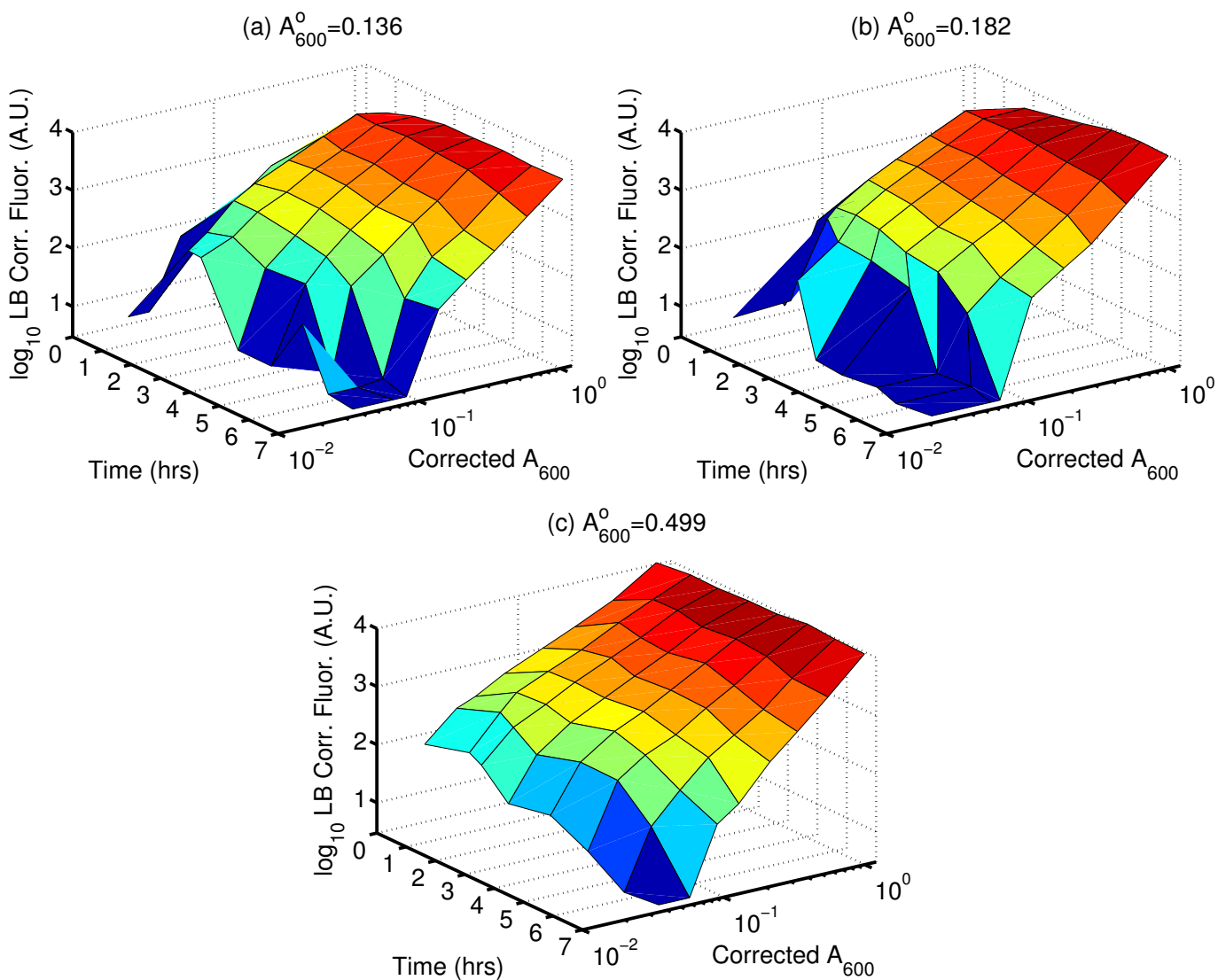


Figure S3: Periodic dilution results for network architecture c, pluxRp-101 and pSSUB-102. This figure shows the corrected absorbance and fluorescence dynamics over the duration of the periodic dilution experiment. A_{600}^0 is the initial absorbance of the overnight culture used to start the periodic dilution experiment. The system exhibited the same fluorescence trend regardless of the initial condition: an initial burst followed by a gradual decay. Each plot uses the same shading to highlight differences in the measured fluorescence values.

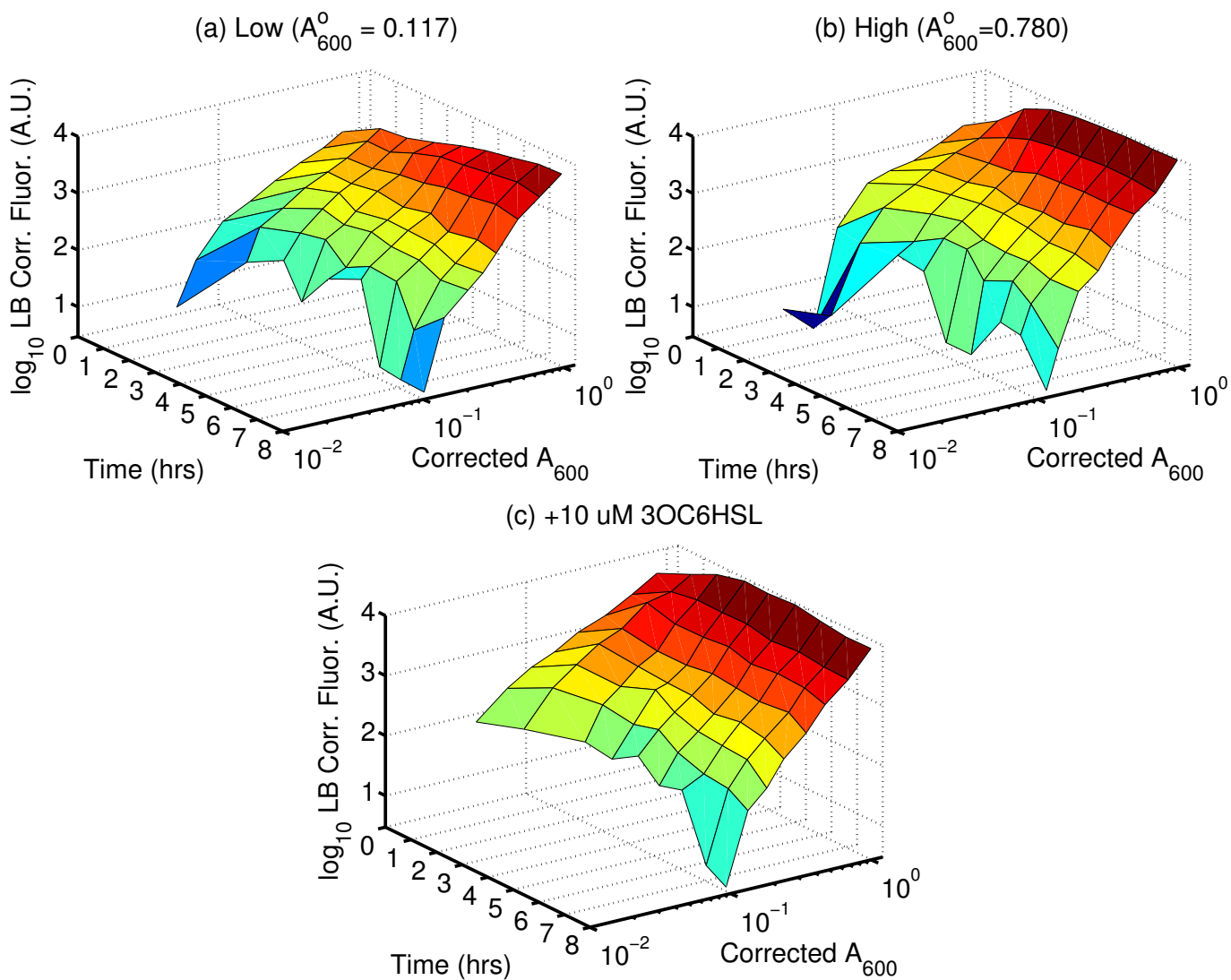


Figure S4: Periodic dilution results for network architecture b, pluxG-102C and pPSSUB-102. This figure shows the corrected absorbance and fluorescence dynamics over the duration of the periodic dilution experiment. A_{600}^0 is the initial absorbance of the overnight culture used to start the periodic dilution experiment. +10 μM 3OC6HSL indicates that the overnight culture was induced with 10 μM 3OC6HSL. Each plot uses the same shading to highlight differences in the measured fluorescence values.

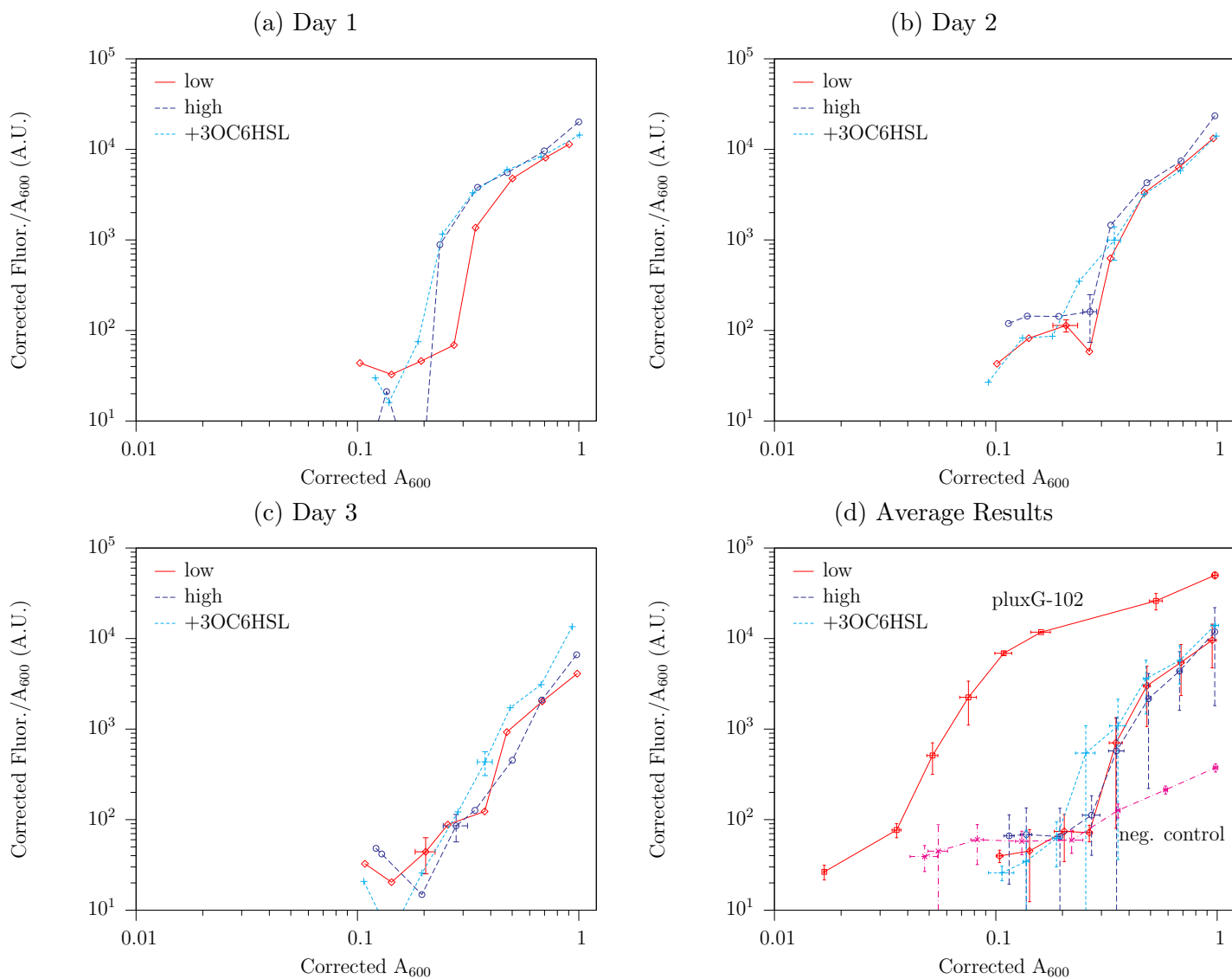


Figure S5: Individual periodic dilution experiments for testing of architecture b (pluxG-102C and pPSSUB-102) for bi-stability. Here, initial cultures were either grown to a **low** absorbance ($A_{600} < 0.2$), grown to a **high** absorbance ($A_{600} > 0.7$), or dosed with $10 \mu\text{M}$ **3OC6HSL**. In each experiment, these different initial conditions led to very similar steady-state profiles. The variation in the steady-state data from day to day, plots (a-c), led to the variability in the average results, plot (d).

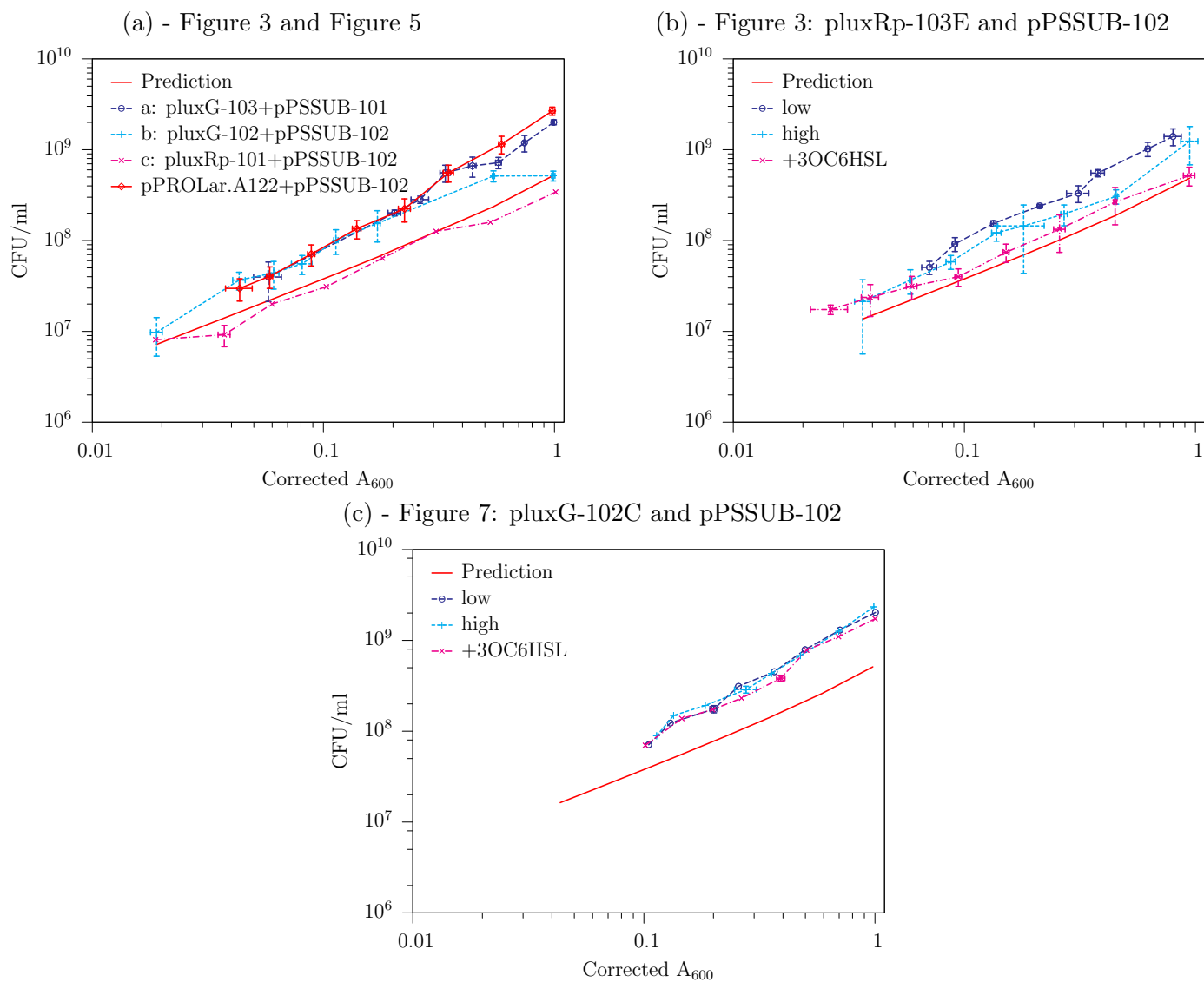


Figure S6: Cell viability for the periodic dilution experiments as determined by serial dilution and plating. Each plot corresponds to a periodic dilution experiment in the main text as noted.

Primer	Sequence	Constructed Plasmid
5-G-NotI	aagcgcggccgcctcgtgaagccatttccgctcg	pluxG-102, pluxG-102C
3-XhoI-luxR	gaactctcgaggatcccgtacttaatnttaagtatgg	pluxG-102
5-G2-lux	cttgcgacaacaataattaagaggagaaaggtaccatg	pluxG-102
3-G2-lux	ctcctctttaatattgtttgctgcaagtttgcgtg	pluxG-102
3-KpnI-GC	ctatgaggtaccggtctgtttccttacctattgtttgctgcaagtttg	pluxG-102C
5-AatII-luxI	ctagaggacgtcttaatnttaagactgctntnttaactg	pluxG-103
5-Rseq	ttcatacggctaacaatggcttcg	pluxG-103
5-SalI-plux	gaactgtcgaccctcttacgtgccgatcaacgtctc	pluxRp-101
3-pluxC	catttatgntntntcatgcttaatnttctcctctntntatcaccg	pluxRp-101
5-luxRC	gagaaattaagcatgaaaaacataaatgccgacgacac	pluxRp-101
5-seq	catagccgaatagcctctccac	pluxRp-101
5-Rp-SalI	agcaatcacctatgaactgtcg	pluxRp-103, pluxRp-103E
3-HindIII-luxRa	gcttctacaagctnttaatntnttaattattctgtatg	pluxRp-103
5-Rp3	gataaaaggaggagaaggtaccatgaaaaacataaatg	pluxRp-103
3-Rp3	catttatgntntntcatggtaccttctcctctntntatc	pluxRp-103
3-KpnI-RpE	ctatgaggtaccaaccggtnttcctcaccgccagaggtattcgac	pluxRp-103E

Table S1: Primers used in this study.

$2R + 2A \xrightleftharpoons{K_1} R^* \quad r_1$ $R^* + P_0 \xrightleftharpoons{K_2} P_1 \quad r_2$	<u>Transcription Factor Binding</u>
$R, A, G \xrightarrow{k_5, k_6, k_7} \text{degraded} \quad r_5, r_6, r_7$	<u>Degradation</u>
$C \xrightarrow{k_9} 2C \quad r_9 = k_9 c \left(1 - \frac{c}{c_{\max}}\right)$	<u>Cell growth (logistic)</u>
$P_0 \xrightarrow{k_4} P_0 + n_a A + n_g G \quad r_4$ $P_1 \xrightarrow{k_3} P_1 + n_a A + n_g G \quad r_3$ $Q_0 \xrightarrow{k_8} Q_0 + R \quad r_8$	<u>Transcription & Translation</u>

Table S2: Kinetic mechanism used to model the behaviors of network architecture b. G, C, and Q₀ refer to green fluorescent protein, bacterial cells, and the DNA encoding constitutive expression, respectively.

S1 Derivation of the Quorum-Sensing Mathematical Model

In this section, we derive the mass balances used to construct the quorum-sensing mathematical model. We consider only architecture b, in which *luxR* is constitutively expressed and *luxI* and *gfplva* are under the control of the *p(luxI)* promoter. The other two configurations can be similarly derived.

Given the kinetic mechanism of Table S2, we can write mass balances for each of the species of interest

$$\frac{d(c_A V)}{dt} = (-2r_1 + n_a(r_3 + r_4)) V_c - r_6 V \quad (1a)$$

$$\frac{d(c_R V_c)}{dt} = (-2r_1 + r_8 - r_5) V_c \quad (1b)$$

$$\frac{d(c_{R^*} V_c)}{dt} = (r_1 - r_2) V_c \quad (1c)$$

$$\frac{dc_{P_0}}{dt} = -r_2 \quad (1d)$$

$$\frac{dc_{P_1}}{dt} = r_2 \quad (1e)$$

$$\frac{d(c_G V_c)}{dt} = (n_G(r_3 + r_4) - r_7) V_c \quad (1f)$$

$$\frac{d(c_c V)}{dt} = r_9 V \quad (1g)$$

in which

- V = reactor volume,

Parameter	Initial Value	Reference	Revised Value
K_1	10. nM ⁻¹		50. nM ⁻¹
K_2	0.01 nM ⁻¹	[8]	
k_3	20. hr ⁻¹	[4]	
k_4	4.05×10^{-6} hr ⁻¹	[4]	0.1 hr ⁻¹
k_5	1.386 hr ⁻¹	[3]	
k_6	0.0289 hr ⁻¹	[5]	
k_7	1.0397 hr ⁻¹	[1]	
k_8	0.4819 hr ⁻¹		0.0723 hr ⁻¹
n_A	$1. \times 10^3$		
n_G	1.		
c_{P_T}	41.5 nM		
c_{Q_T}	41.5 nM		
V	5. ml		
V_{one}	$10.^{-15}$ l	[2]	
k_G	1. nM ⁻¹		50. nM ⁻¹
f_{bgd}	0		-150

Table S3: Parameters used for simulation of the quorum-sensing models. Initial values for parameters were obtained from the literature when possible. The revised values reflect adjustments made to parameters to fit the experimental results for the shuffled architectures.

- V_{one} = volume of one cell,
- V_c = total intracellular volume = $c_c V V_{\text{one}}$, and
- $c_{c,\text{max}}$ = max cell density.

Here, we assume that cell replication maintains a constant plasmid concentration. We assume that fluorescence (f) is proportional to the GFP_{LVA} concentration (c_G) plus a scaling factor f_{bgd} , i.e.,

$$f = k_G c_G + f_{\text{bgd}} \quad (2)$$

A list of parameters used in this paper are presented in Table S3. Parameters such as k_9 that do not affect the steady state are not reported in this table.

Assuming that reactions one and two (r_1 and r_2) are at equilibrium, we obtain the following reduced model:

$$\frac{d(c_A V)}{dt} + 2 \left(\frac{d(c_{R^*} V_c)}{dt} + V_c \frac{dc_{P_1}}{dt} \right) = (n_a(r_3 + r_4)) V_c - r_6 V \quad (3a)$$

$$\frac{d(c_R V_c)}{dt} + 2 \left(\frac{d(c_{R^*} V_c)}{dt} + V_c \frac{dc_{P_1}}{dt} \right) = (r_8 - r_5) V_c \quad (3b)$$

$$K_1 = \frac{c_{R^*}}{c_A c_R} \quad (3c)$$

$$K_2 = \frac{c_{P_1}}{c_{P_0} c_{R^*}} \quad (3d)$$

$$c_{P_T} = c_{P_0} + c_{P_1} \quad (3e)$$

$$\frac{d(c_G V_c)}{dt} = (n_G(r_3 + r_4) - r_7) V_c \quad (3f)$$

$$\frac{d(c_c V)}{dt} = r_9 V \quad (3g)$$

in which c_{P_T} is the total plasmid concentration per cell.

By setting the derivatives of equation (3), one can solve for the steady states of the system to yield:

$$0 = -k_6\alpha c_A^2 + (k_3\alpha\beta - k_6) c_A + k_4\beta \quad (4a)$$

$$\alpha = K_1K_2 \quad (4b)$$

$$\beta = n_a V_c c_{c,\max} c_{P_T} \quad (4c)$$

$$c_G = \frac{n_g c_{P_T} (k_4 + K_1K_2k_3c_{ACR})}{k_7 (1 + K_1K_2c_{ACR})} \quad (4d)$$

Equation (4) indicates that the steady-state concentration of the 3OC6HSL signalling molecule is a quadratic function.

In a similar fashion, one can solve for the steady states of network architecture a

$$c_A = \frac{n_a V_c k_8}{k_6} c_{c,\max} \quad (5a)$$

$$c_R = \frac{k_8}{k_5} \quad (5b)$$

$$c_{P_T} = c_{P_0} + c_{P_1} \quad (5c)$$

$$c_G = \frac{n_g c_{P_T} (k_4 + K_1K_2k_3c_{ACR})}{k_7 (1 + K_1K_2c_{ACR})} \quad (5d)$$

and network architecture c

$$0 = -k_6\alpha c_A^3 + k_3\alpha\beta c_A^2 - k_6c_A + k_4\beta \quad (6a)$$

$$\alpha = K_1K_2 \quad (6b)$$

$$\beta = n_a V_c c_{c,\max} c_{P_T} \quad (6c)$$

$$c_G = \frac{n_g c_{P_T} (k_4 + K_1K_2k_3c_{ACR})}{k_7 (1 + K_1K_2c_{ACR})} \quad (6d)$$

Equations (5) and (6) indicate that the steady-state concentration of the 3OC6HSL signalling molecule for network architectures a and c are linear and cubic functions, respectively.

S2 Effect of Positive Feedback on the $p(luxR)$ Promoter

Previous works indicate that $luxR$ is capable of positively stimulating transcription from the $p(luxR)$ promoter to a small degree [6, 7], thereby resulting in positive feedback on the $p(luxR)$ promoter. In contrast, we have assumed that the $p(luxR)$ promoter is constitutive. In this section, we numerically explore the effects of this positive feedback.

The experimental results of Sitnikov et al. [7] suggest that the positive feedback from the $p(luxR)$ promoter (1.9-fold stimulation) is roughly twenty times less than that from the $p(luxI)$ promoter (37-fold stimulation). Consequently, we explore increasing the positive feedback from the $p(luxR)$ promoter on network architectures a and b. To do so, we define the amplification factor of promoter j (α_j) as the fold increase in the expression levels due to positive feedback. We consider manipulating the amplification factor for the $p(luxR)$ promoter, $\alpha_{p(luxR)} = k'_3/k'_4$, by altering k'_4 while leaving k'_3 at a constant value. Parameter values are the same as the revised values in Table S3, noting that $k'_3 = k_8$ and k'_4 is variable.

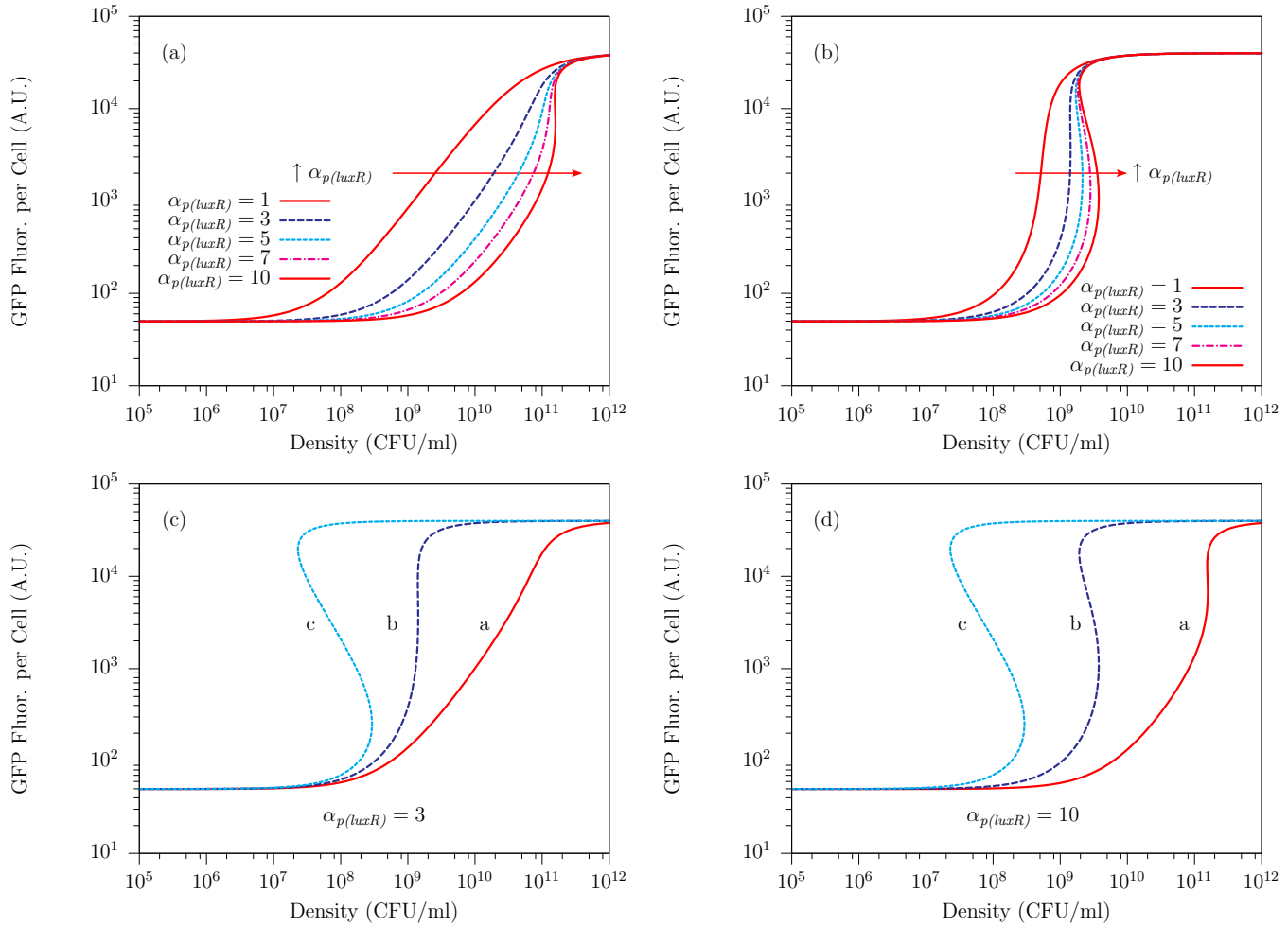


Figure S7: Effect of increasing the amplification factor $\alpha_{p(luxR)}$ for the $p(luxR)$ promoter for network architectures a and b. Plot (a): increasing $\alpha_{p(luxR)}$ for network architecture a. Plot (b): increasing $\alpha_{p(luxR)}$ for network architecture b. Plot (c): comparing all three network architectures for $\alpha_{p(luxR)} = 3$. Plot (d): comparing all three network architectures for $\alpha_{p(luxR)} = 10$.

<u>Transcription Factor Binding</u>		<u>Degradation</u>	<u>Cell growth (logistic)</u>
$2R + 2A \xrightleftharpoons{K_1} R^*$ $R^* + P_0 \xrightleftharpoons{K_2} P_1$		$R, A, G \xrightarrow{k_5, k_6, k_7} \text{degraded}$	$C \xrightarrow{k_9} 2C$ $r_9 = k_9 c \left(1 - \frac{c}{c_{\max}}\right)$
<u>Architecture a</u>		<u>Architecture b</u>	
$P_0 \xrightarrow{k_4} P_0 + n_g G$	$P_0 \xrightarrow{k_4} P_0 + n_a A + n_g G$	$p(luxI)$	<u>Transcription & Translation</u>
$P_1 \xrightarrow{k_3} P_1 + n_g G$	$P_1 \xrightarrow{k_3} P_1 + n_a A + n_g G$	$p(luxI)$	
$P_0 \xrightarrow{k'_4} P_0 + R + n_a A$	$P_0 \xrightarrow{k'_4} P_0 + R$	$p(luxR)$	
$P_1 \xrightarrow{k'_3} P_1 + R + n_a A$	$P_1 \xrightarrow{k'_3} P_1 + R$	$p(luxR)$	

Table S4: Kinetic mechanisms used to model the behaviors of architectures a and b assuming that the $p(luxR)$ promoter exhibits positive feedback. Positive feedback from the $p(luxI)$ promoter is denoted by the k_3 and k_4 rate constants, while positive feedback from the $p(luxR)$ promoter is denoted by the k'_3 and k'_4 rate constants.

Because the $p(luxI)$ promoter has an amplification factor in the model of $\alpha_{p(luxI)} = k_3/k_4 = 200$, we restrict our attention to amplification factors for the $p(luxR)$ promoter of $0 \leq \alpha_{p(luxR)} \leq 10$ to account for the experimental observations of Sitnikov et al.[7]. In Figure S7 (a) and (b), we see that the amplification from the $p(luxR)$ promoter increases the sharpness of the steady-state quorum-sensing response for both network architectures a and b. Additionally, these figures demonstrate that these values of $\alpha_{p(luxR)}$ maintain the graded and threshold responses of network architectures a and b, respectively. Figure S7 (c-d) compares the steady-state quorum-sensing responses of all three network architectures for the same value of $\alpha_{p(luxR)}$. These two figures demonstrate that increasing the number of lux regulatory elements under control of the $p(luxI)$ promoter increases the sharpness of the response and reduces the location of the induction threshold for the given set of parameters. Such phenomena result because the positive feedback from the $p(luxI)$ promoter is significantly greater than that from the $p(luxR)$ promoter.

S3 Effect of Prolonged Quorum-Sensing Induction on Architecture c

Prolonged maximal induction of the quorum-sensing circuit negatively impacts cellular function for the architecture c configuration of pluxRp-101 and pPSSUB-102. As seen in Figure S3, the dynamic fluorescence readings exhibit a weak maximum in intensity, then begin to slowly decrease in value. Determination of cell viability by serial dilution and plating confirms the negative impact on cellular function: Figure S6 (a) demonstrates that the number of viable cells for pluxRp-101 and pPSSUB-102 are consistently lower than those for architectures a and b. Additionally, the plated cells for pluxRp-101 and pPSSUB-102 were consistently smaller than those for architectures a and b (data not shown). Interestingly, pluxRp-103E and pPSSUB-102 only displayed similar effects when exposed to a 3OC6HSL concentration of 1.0 μM (or greater than 100 nM) as shown in Figures S8 and S9. Since over-expression of LuxR, LuxI, and GFP_{LVA} from $p(luxI)$ causes such limitations on growth, there is a strong selective pressure to down-regulate the quorum-sensing system. We speculate that the response to this pressure leads to the observed decreases in fluorescence.

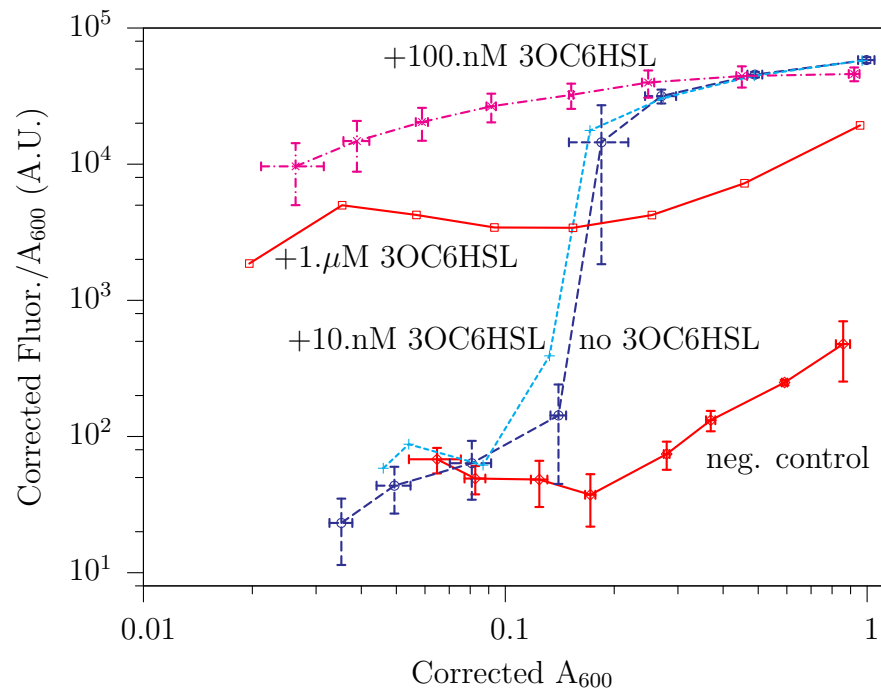


Figure S8: Steady states of pluxRp-103E and pPSSUB-102 as a function of 3OC6HSL induction. The result for the experiment induced at 1.μM 3OC6HSL does not lead to a steady state.

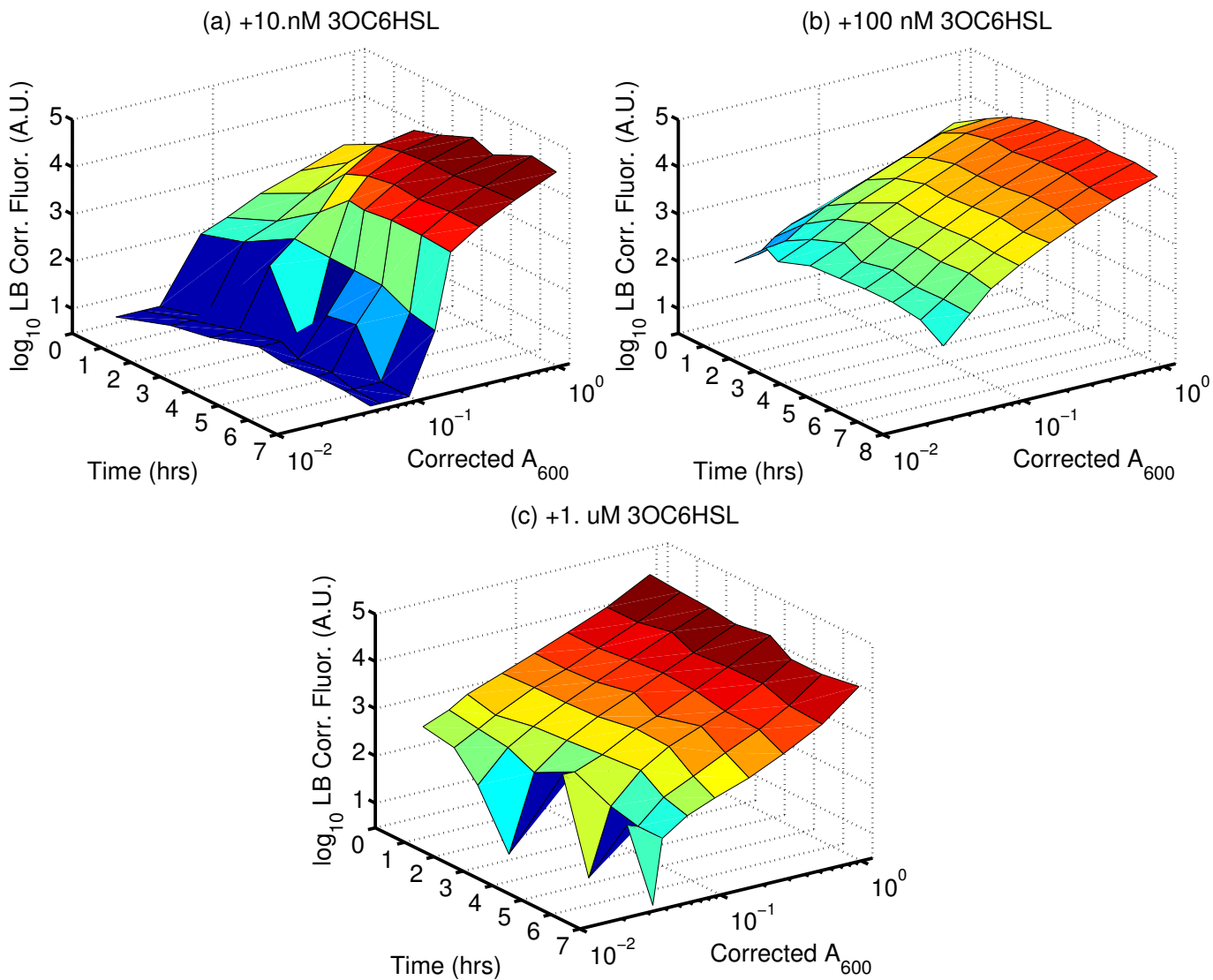


Figure S9: Periodic dilution results for pluxRp-103E and pPSSUB-102 as a function of 3OC6HSL induction. This figure shows the absorbance and fluorescence dynamics over the duration of the periodic dilution experiment. Induction with a 3OC6HSL concentration of 100 nM or lower leads to a stable steady state. Induction with a 3OC6HSL concentration of 1 μ M does not achieve a steady state in the duration of the experiment. Each plot uses the same shading to highlight differences in the measured fluorescence values.

References

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